	<i>Physics Department</i> <i>Electricity and Magnetism Laboratory</i>				
Lab Group Session I Deadline	Date Date	Students who hand in the report	Control Stamp		
ELECTROMAGNETIC INDUCTION. FARADAY'S LAW.					
 Note: Include in the tables all units and uncertainties of the measurements. 					
5.1. Electric current induced in a coil by a magnet.					
A) Choose one of the poles of the magnet and move it towards the coil quickly until the magnet is fully inside the coil. What's the direction of the line that represents the voltage in the screen of the oscilloscope?					
Chang of the	ge to the line that	other pole of the magnet and repeat the same. Wh represents the voltage in the screen of the oscillo	nat's now the direction scope?		

Why does this happen?

B) Keeping the same pole as in the previous case, repeat part A) but moving the magnet slowly. What difference do you find?

C) Keeping the same pole as in the previous case, move the magnet quickly towards the coil until is fully inside of it, and then retreat it quickly until is fully outside. Indicate what happens to the line that represents the voltage in the screen of the oscilloscope.				
Why does this happen?				
D) Repeat part C) using another coil with higher or lower number of turns. Try to move the magnet at the same speed as in part C). What difference do you find?				
5.2. Electric current induced in a coll by another coll.				
• <i>f</i> _{gen} : frequency selected in the generator				
• <i>I</i> _{rms} : current measured in the multimeter				
• T_{osc} : period measured in the oscilloscope				
• <i>f</i> _{osc} : frequency of the oscillation				
• V_{pp} : peak to peak voltage measured in the oscilloscope				
• ϵ_0 : amplitude of the oscillation				
$I_{\rm rms} = \pm$ ()				
REMARK : When the frequency of the signal is changed in the source, the intensity also varies. It is required to keep the intensity measured in the multimeter to a constant value . In order to do that, change the amplitude in the source until you measure the same intensity you had before changing the frequency.				

Γ

f gen ()	t scale ± ∆t scale ()	Tosc±∆Tosc ()	fosc±∆fosc ()	V scale ±∆V scale ()	V _{pp} ±Δ V _{pp} ()	εο±Δεο ()

C) Using Faraday's law and the fact that the magnetic field (B) inside a coil in which flows a current (I) is: $B = \mu_0 nI = \mu_0 nI_0 \cos\omega t$, to obtain the small coil induced emf to demonstrate it is a sinusoidal function with the same frequency that the generator.



s nutring of y-	v _{pp} with resp	Ject to x = Igen	
e linear least s	squares fittin	g:	
m =		∆m =	
m =	±	()	
h –		4b —	
D –		Δ0 –	
b =	±	()	
	= = = = = = = = = = = = = = = = = = =	m = t $b = b$	$m = \pm (m)$ $b = \Delta b =$

5.3. Measure the magnetic field inside a solenoid.

Solenoid data:

• number of turns of solenoid:

N =

- length of the solenoid:
 - $L = \pm ()$
- number of turns per unit length:
 - $n = \Delta n = 1$ $n = \pm ()$
- radius of the solenoid:
 - $a = \Delta a = a = \pm ()$

Probe data:

• number of turns of the small coil:

 $N_{\rm c} \ =$

• radius of small coil:

R_c =

 ΔR_c =

 $R_c = \pm$ ()

• area of each turn of the small coil:

A_c =

 ΔA_c =

A _c =	±	()	
(a) Experimental measuremer	nt of the magnetic	: field (B₀) in	side the solenoid.	
frequency selected in t	he generator:			
f =	±	()	
angular frequency:				
ω =				
$\Delta \omega =$				
ω =	±	()	
• solenoid current:				
I _{rms} =	±	()	
$I_0 =$				
$\Delta I_0 =$				
$I_0 =$	±	()	
 x: distance from the center of the solenoid to the small coil. V_{pp} : peak to peak voltage measured in the oscilloscope 				

- ϵ_0 : amplitude of the oscillations measured in the oscilloscope

• B₀ : amplitude of the magnetic field inside the solenoid

$$B_0 = \frac{\varepsilon_0}{N_c A_c \omega}$$

E) Indicate how you have obtained ω and its uncertainty $\Delta \omega$:

- = 03
- $\Delta \epsilon_0 =$

F) Indicate how you have experimentally obtained the magnetic field B_0 and its uncertainty ΔB_0 :

 $B_0 =$

 $\Delta B_0 =$

(b) Obtain the magnetic field (B_0) inside the solenoid from the theoretical expression [7]

G) Get B_0 at each point x of the solenoid using the theoretical expression:

$$B_0 = \frac{\mu_0 n I_0}{2} \left(\cos \beta_2 - \cos \beta_1 \right)$$

x±∆x ()	V _{pp} ±∆ V _{pp} ()	034±03 ()	B₀±∆B₀ ()

Where:

$$\cos\beta_{1} = -\frac{\frac{L}{2} - x}{\sqrt{\left(\frac{L}{2} - x\right)^{2} + a^{2}}}$$
$$\cos\beta_{2} = +\frac{\frac{L}{2} + x}{\sqrt{\left(\frac{L}{2} + x\right)^{2} + a^{2}}}$$

** the calculation of uncertainties is not necessary in this section

× ()	Cos β ₁	Cos β₂	B ₀ ()

